

Sciences on K computer

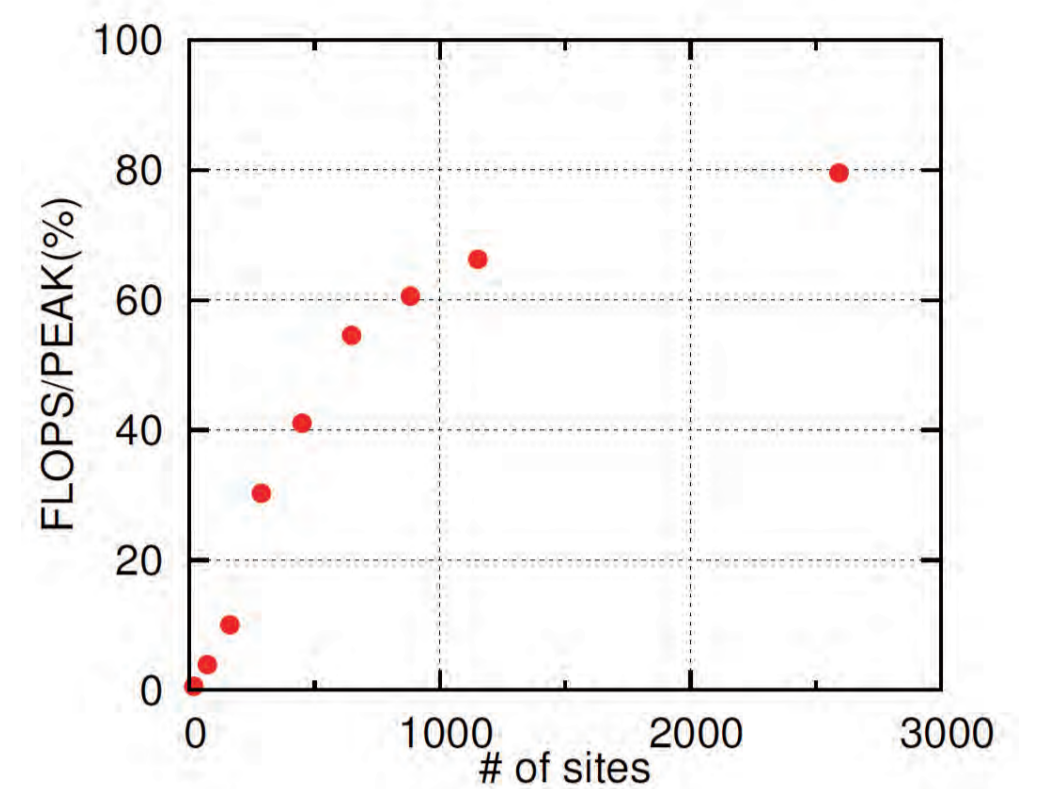
Large scale numerical simulations for strongly correlated quantum systems

What is a strongly correlated quantum systems in condensed matters?

- We have investigated “strongly correlated electron systems”, in which
 - electrons are governed by the quantum mechanics; wave-particle duality, Pauli exclusion principle, spin degree of freedom
 - Coulomb interactions between electrons can not be ignored; go beyond the band theory
- Combination of the quantum nature of electrons and many-body effects gives rise to remarkable properties of matters and difficulties in the problems
 - High-Tc superconductivity in Cu oxides
 - Colossal magnetoresistance in Mn oxides
 - exponentially large Hilbert space
 - analytical method very often fails \Rightarrow We need efficient and reliable computational methods.

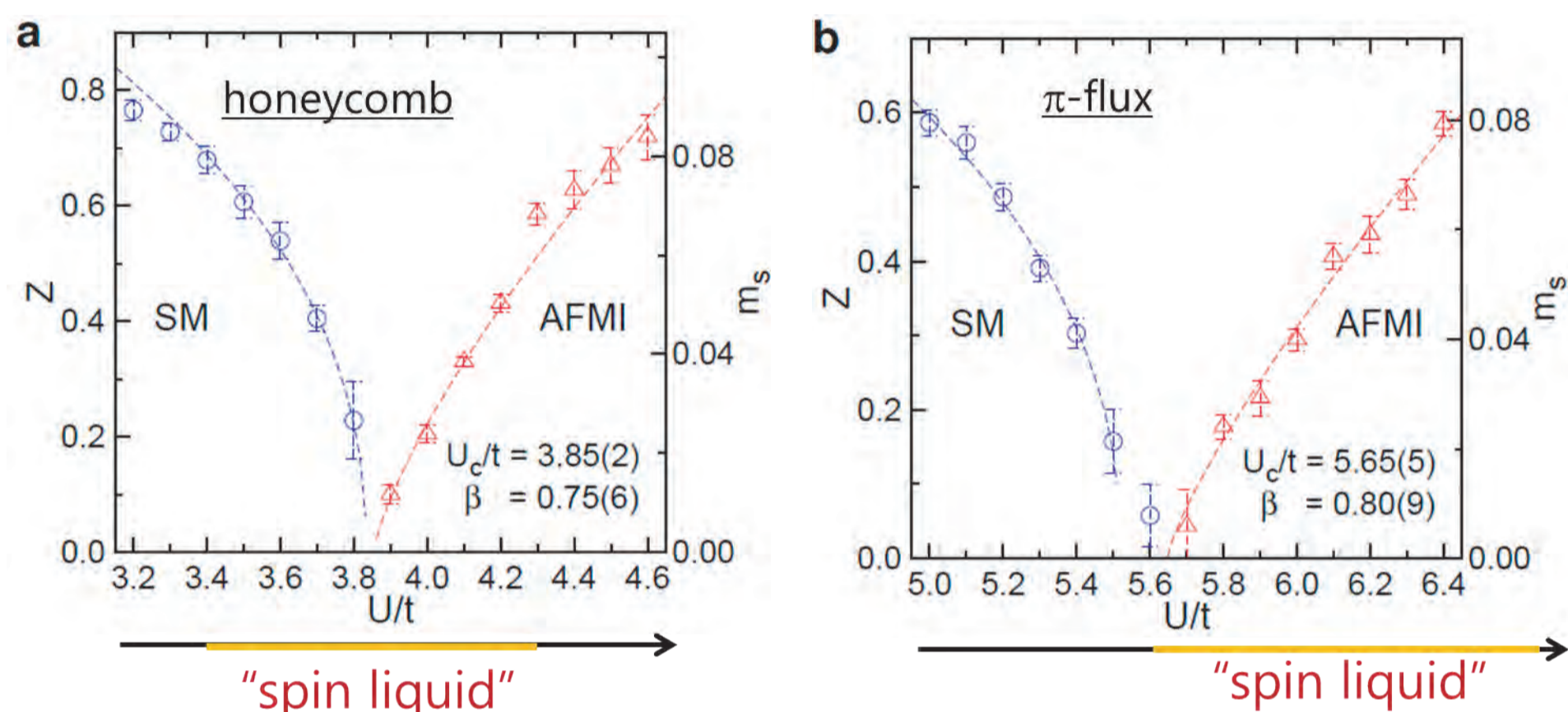
Computational methods for quantum many-body problems

- We have developed approximation-free and highly-efficient simulation codes on K computer.
 - Quantum Monte Carlo (QMC)
 - system size: $\sim 1,000$ sites
 - applicable to 2 and 3 dim.
 - “negative sign problem” is exponentially serious.
 - Density Matrix Renormalization Group (DMRG)
 - system size: ~ 100 sites
 - affordable up to 2 dim.
 - less restricted to symmetry or parameter



Result #1 : Ground-state phase diagram of interacting Dirac Fermions

“spin liquid” phases were predicted in interacting Dirac fermions on lattices as intermediate phases between semimetal and antiferromagnetic Mott insulator



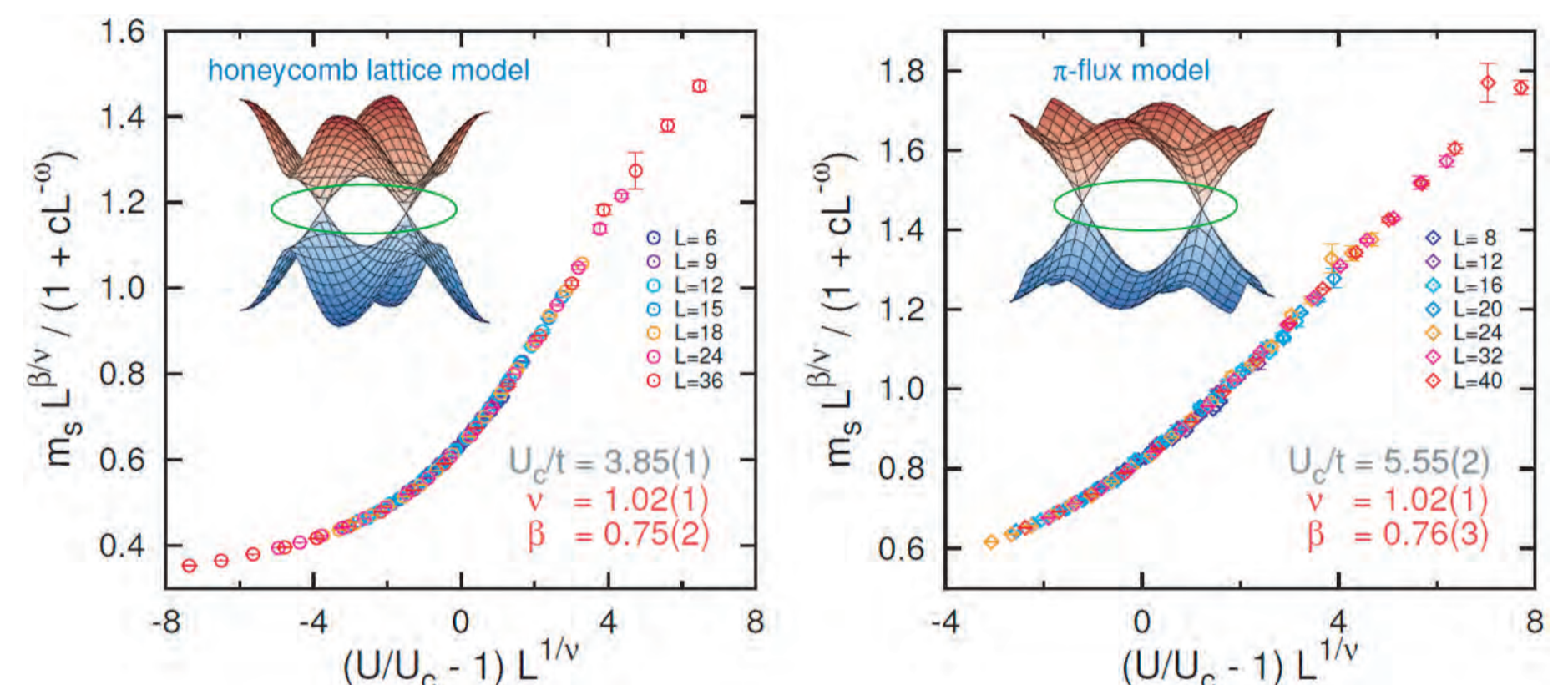
Meng et al., Nature (2010) Chang, Scalettar, Phys. Rev. Lett. (2012)

- ✓ Direct and continuous transition between SM and AFMI \rightarrow spin liquid phase is unlikely.

Sorella, Otsuka, Yunoki, Scientific Reports 2, 992 (2012)

Result #2 : Fermionic quantum criticality in interacting Dirac electrons

Dirac electrons: electronic systems with a linear dispersion near the Fermi level e.g. graphene, topological insulators, d-wave High-Tc



- ✓ Highly accurate calculations of order parameters by large-scale QMC simulations
- ✓ Critical exponents for two different models are the same within statistical errors; \rightarrow Numerical validation of universality class

cf. Gross-Neveu model in particle physics

Sorella, Otsuka, Yunoki, Scientific Reports 2, 992 (2012)

NTChem: Quantum Chemistry Calculations on Massively Parallel Computers

Quantum chemistry calculations based on Hartree-Fock and DFT have $O(N^3 \sim N^4)$ computational scaling, where N is proportional to the system size. Therefore it is very time consuming to compute large systems. To solve this problem, we have developed the following effective methods that take advantage of massively parallel computing and have integrated them into our group’s NTChem quantum chemistry program.

Pseudospectral (PS) Method

Acceleration of two-electron integral

$$(\mu\nu | \lambda\sigma) = \iint \phi_\mu(\mathbf{r}_1)\phi_\nu(\mathbf{r}_1) \frac{1}{|\mathbf{r}_1 - \mathbf{r}_2|} \phi_\lambda(\mathbf{r}_2)\phi_\sigma(\mathbf{r}_2) d\mathbf{r}_1 d\mathbf{r}_2$$

Computational cost $O(N^4)$

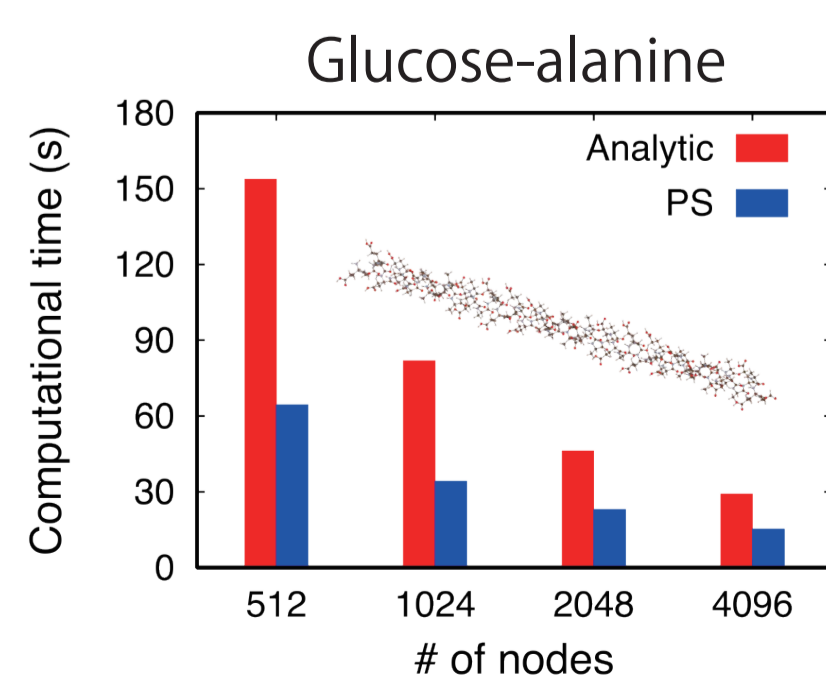
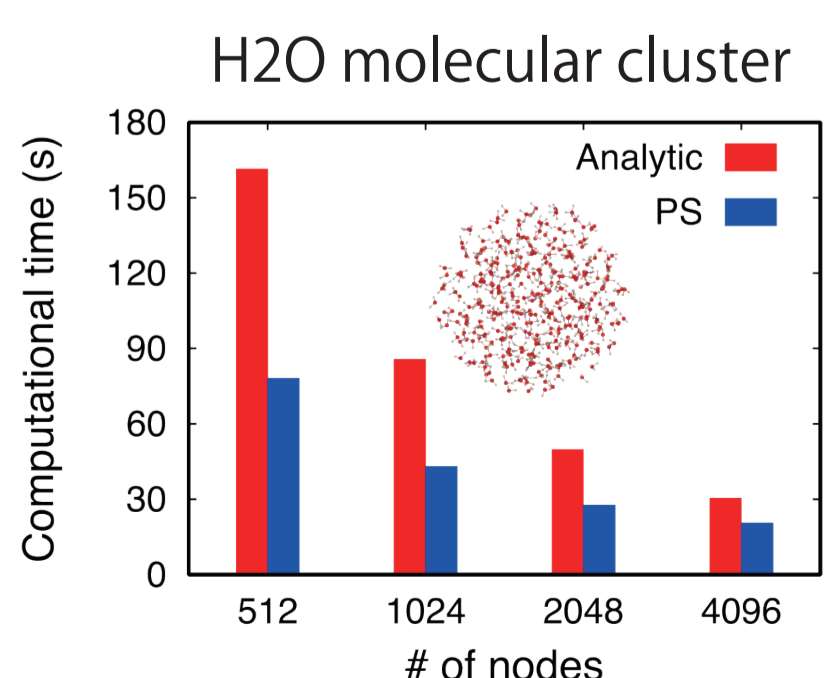
Replacement of an analytic integral with a numerical integral

$$(\mu\nu | \lambda\sigma)_{PS} = \sum_{g=1}^M w_g \phi_\mu(\mathbf{r}_g)\phi_\nu(\mathbf{r}_g) \int \frac{\phi_\lambda(\mathbf{r}_2)\phi_\sigma(\mathbf{r}_2)}{|\mathbf{r}_g - \mathbf{r}_2|} d\mathbf{r}_2$$

Computational cost $O(MN^2)$ (M : # grid points)

Performance Tests

Pure DFT (BP86), Def2-SVP basis set



Diagonalization Free Methods

Diagonalization free methods are based on computing the functions of sparse, symmetric matrices.

We have developed a library of matrix function solvers that can compute a variety of functions in linear time.

Core routine: Sparse Matrix-Matrix Multiplication.

Large scale hybrid MPI-OpenMP parallelization.

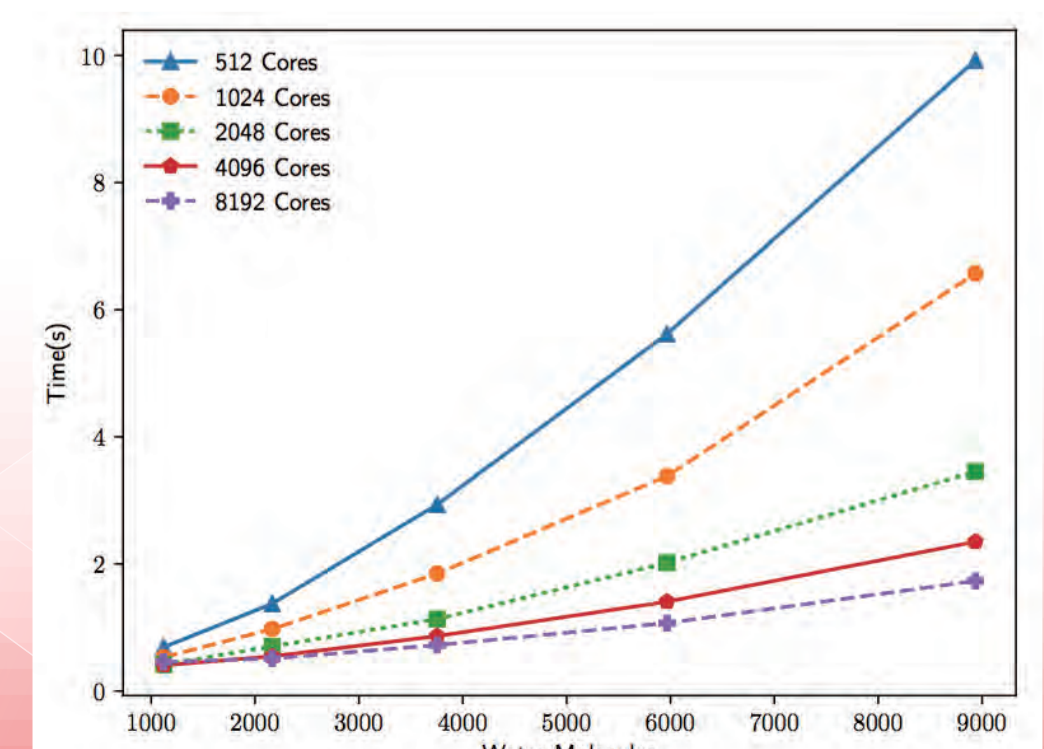
Feature Set

Standard Polynomials
Chebyshev Polynomials
Trigonometric Functions
Exponential and Logarithm
pth Root
Inverse pth Root

Inverse
Matrix Sign Function
Density Matrix Minimization
Density Matrix Purification
Distributed File I/O

Performance Tests

STO Basis Set, Compute the Inverse Square Root. Demonstrated strong scaling for even small matrices.



Sciences on K computer

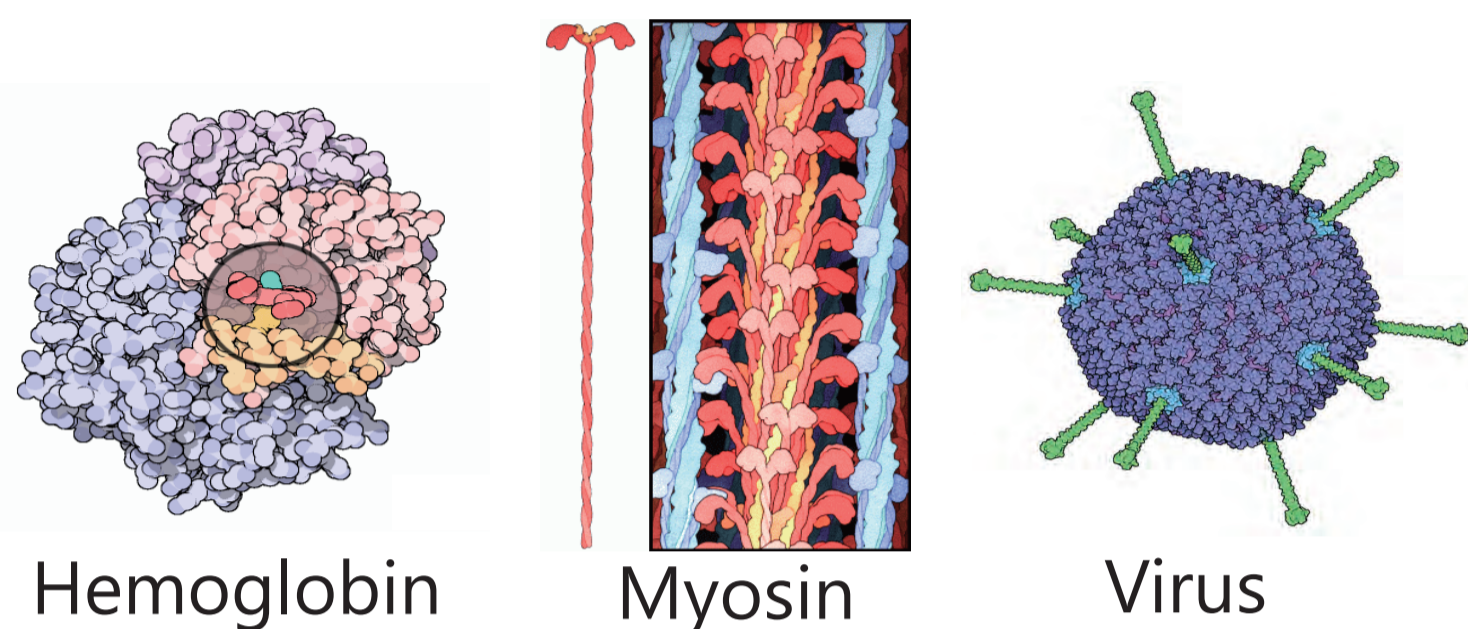
Computational Structural Biology Research Unit

Structural biology and big data: high performance computing needed

- Biomolecules accomplish core biological functions and dysfunction may result in severe diseases.
- A critical step to understand function of biological molecules is determining their 3-dimensional structure.

X-ray free electron laser (XFEL):
new experimental approach to image directly single molecules

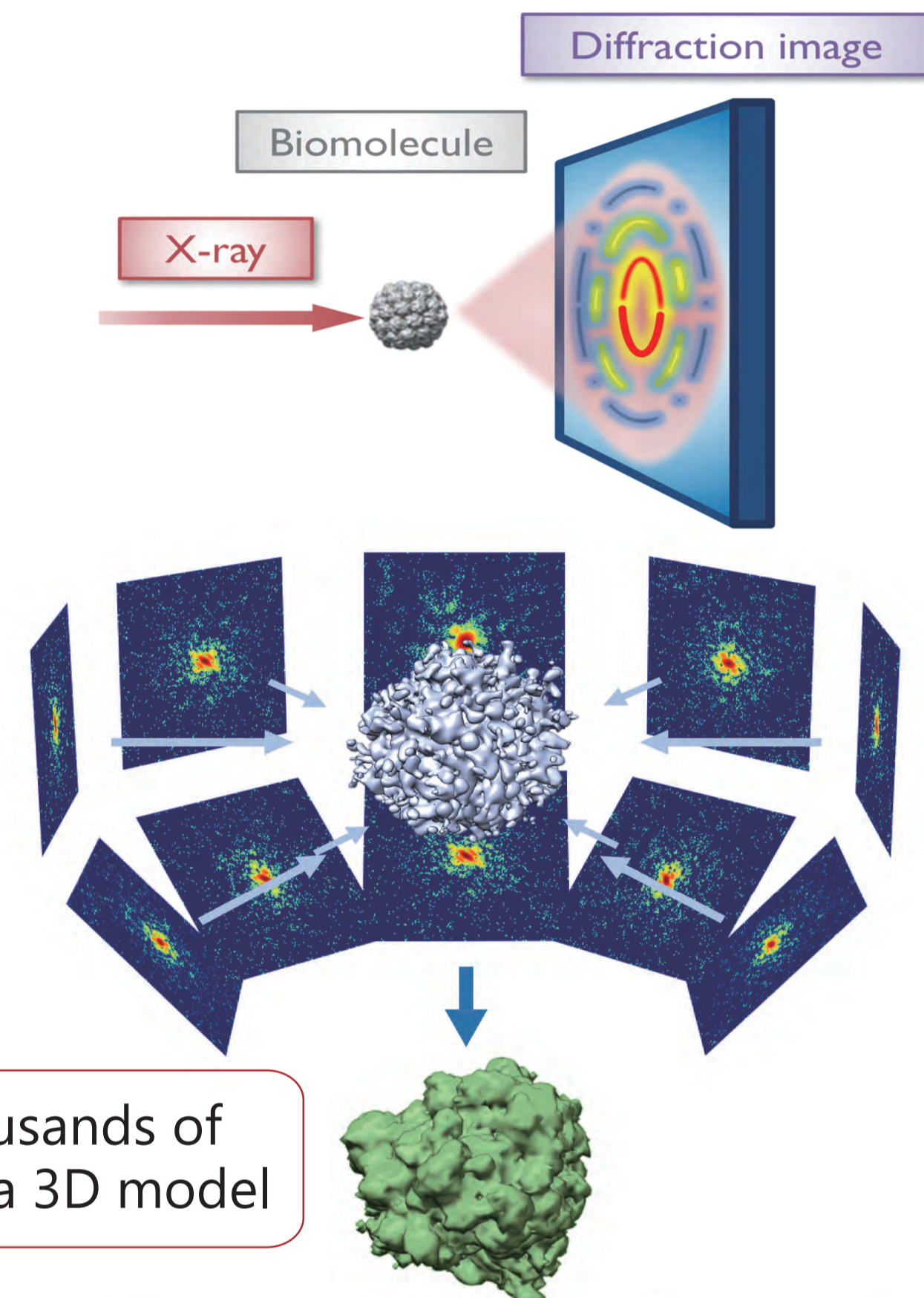
Example of biological molecules



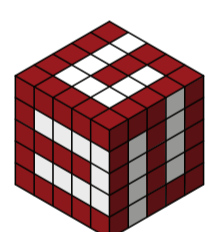
Development of computational tools to solve 3D structures of biological molecules from 2D images from XFEL experiments

Computational time (16 cores, 1,000,000 images)

Image size (pixel)	128 ²	640 ²
2D matching (30 iterations)	7 days	~100 days
Phase retrieval (100 trials)	1 day	125 days



Computational Biophysics Research Team



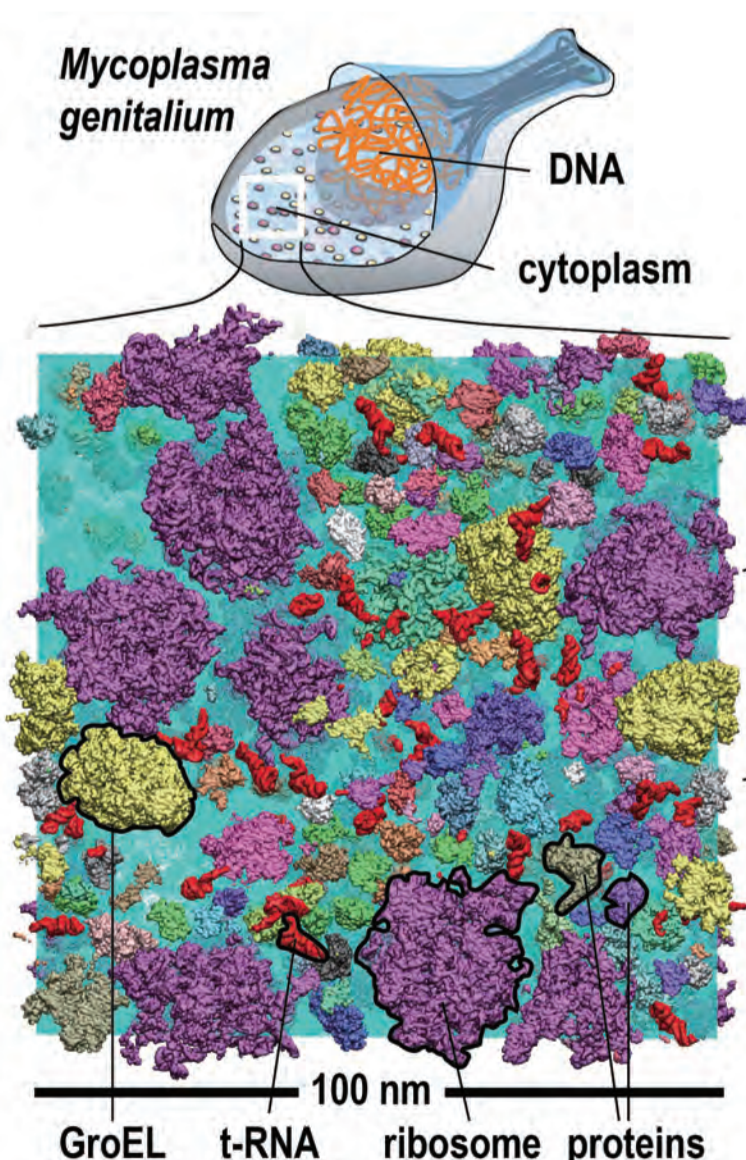
GENESIS

Generalized-ensemble simulation system

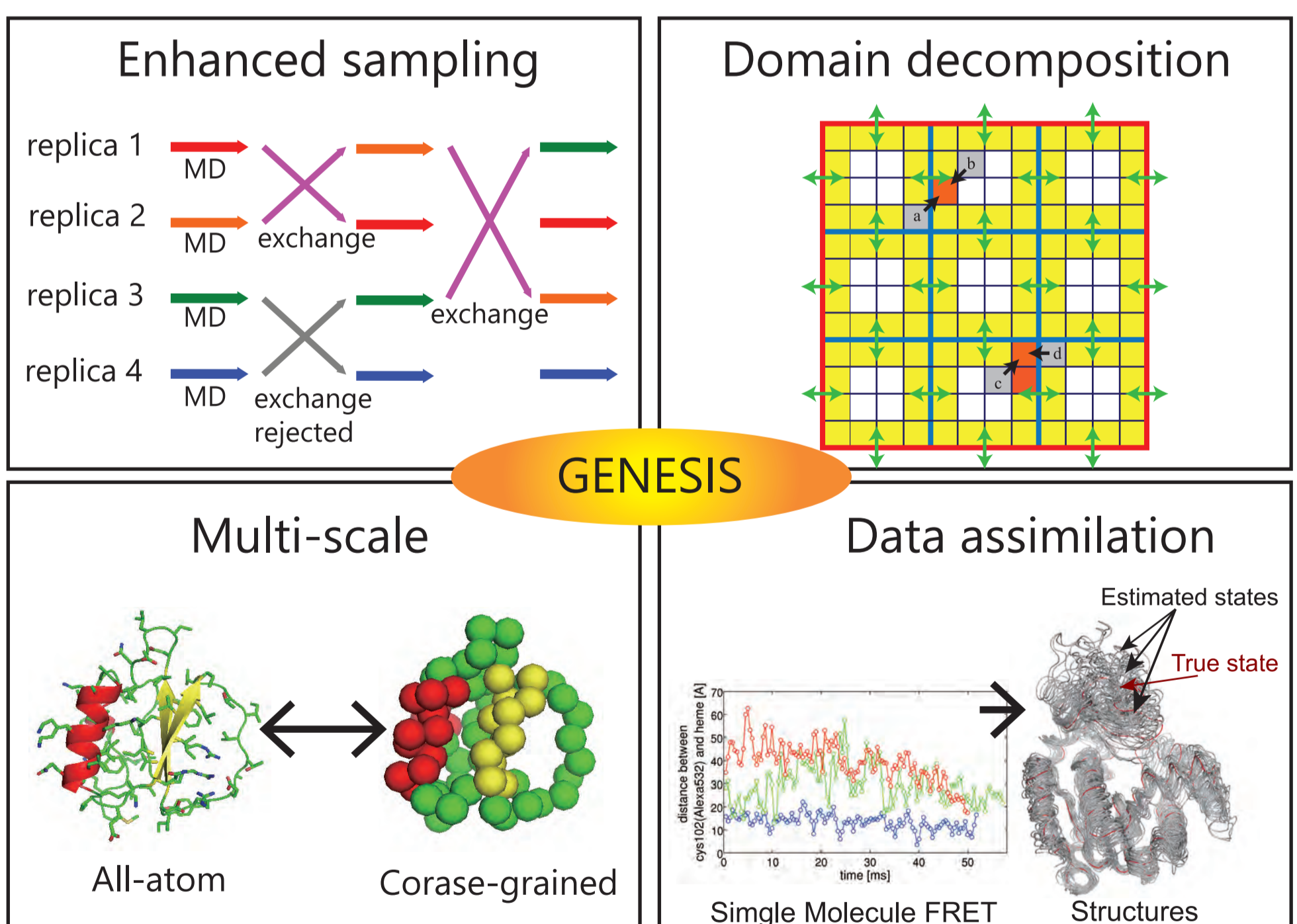
1. Domain decomposition with hybrid parallelization
2. Enhanced sampling algorithm for free energy calculation
3. Multi-scale MD (All atom, Coarse-Grained, QM/MM)
4. Data assimilation

Target application

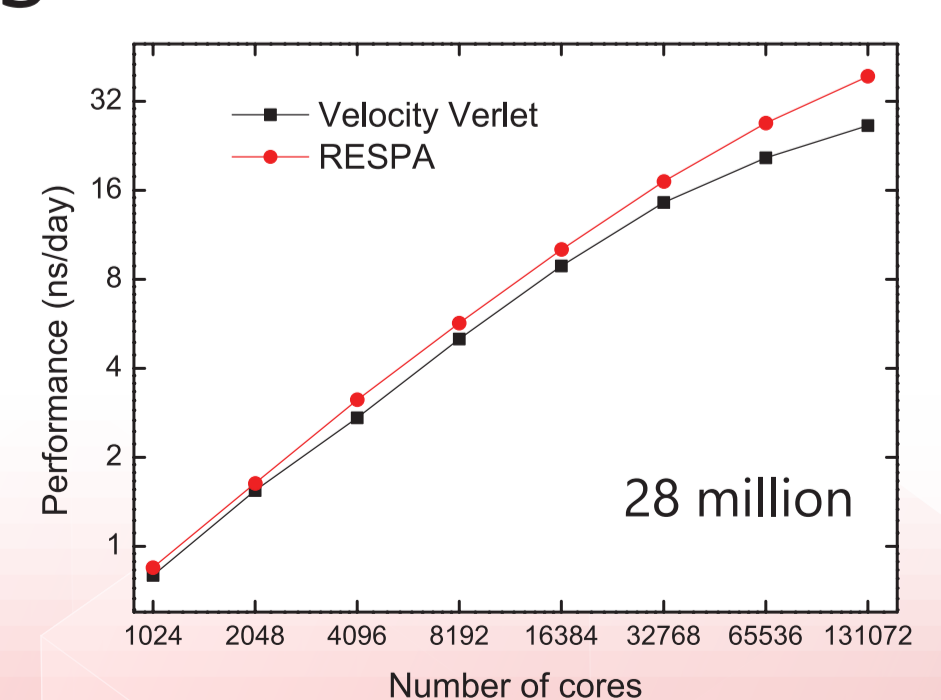
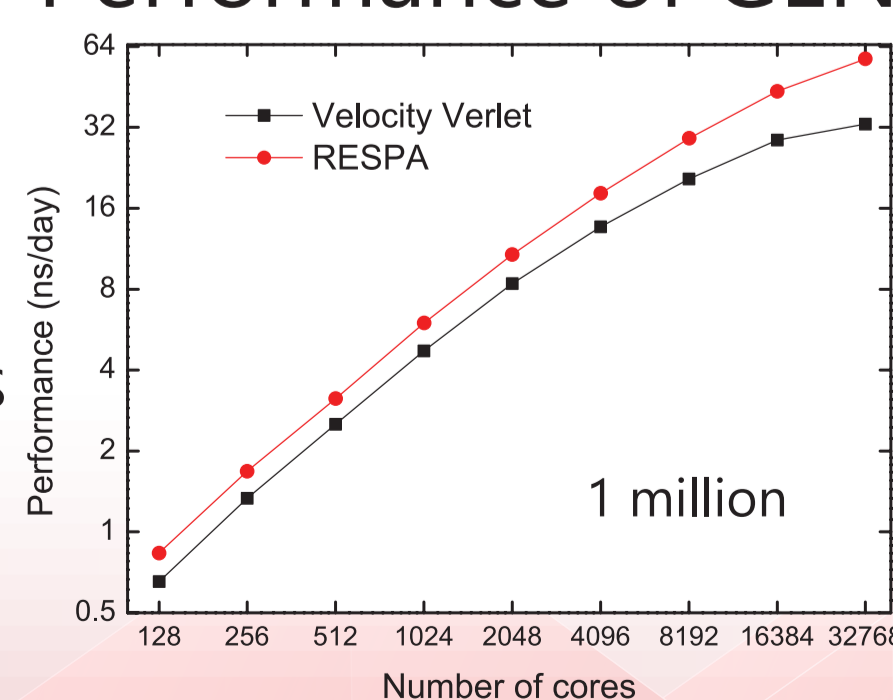
1. Molecular crowding
2. Structure/Dynamics of biomolecules
3. Reaction pathway
4. Data driven simulations



Cytoplasm system performed by GENESIS
(*eLife* 5, e19274 (2016))



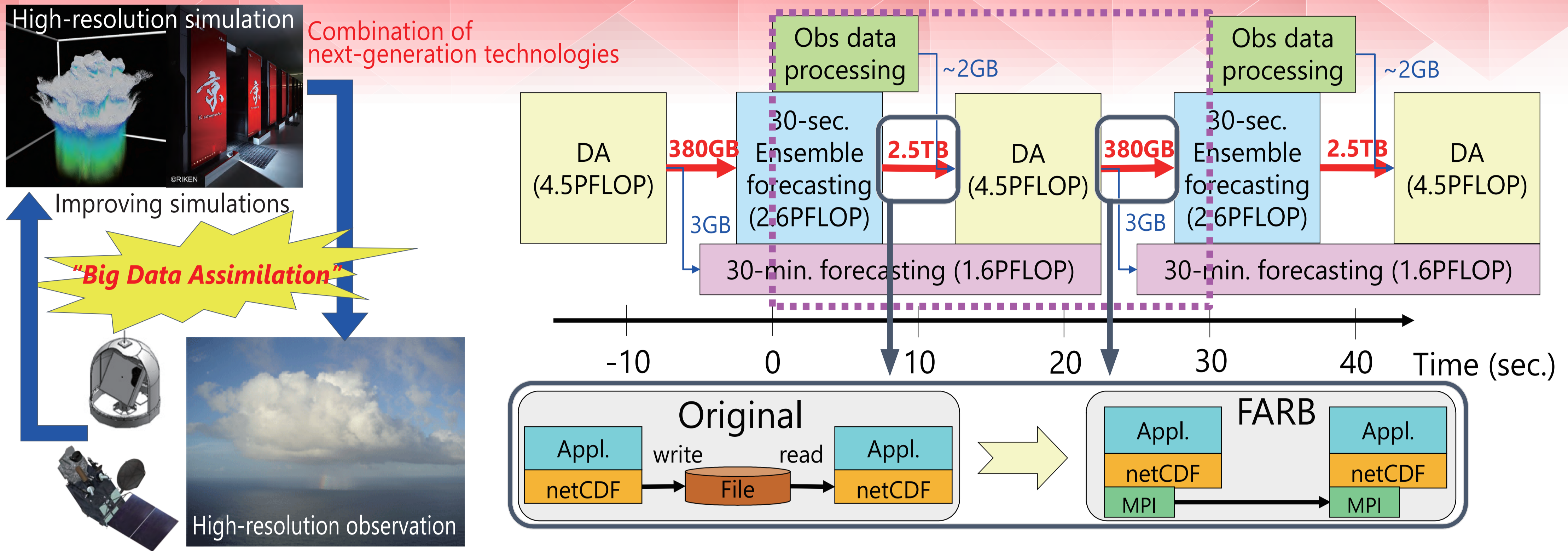
Performance of GENESIS



URL: <http://www.aics.riken.jp/labs/cbrr/>

Innovating "big data assimilation" technology for revolutionizing very-short-range severe weather prediction

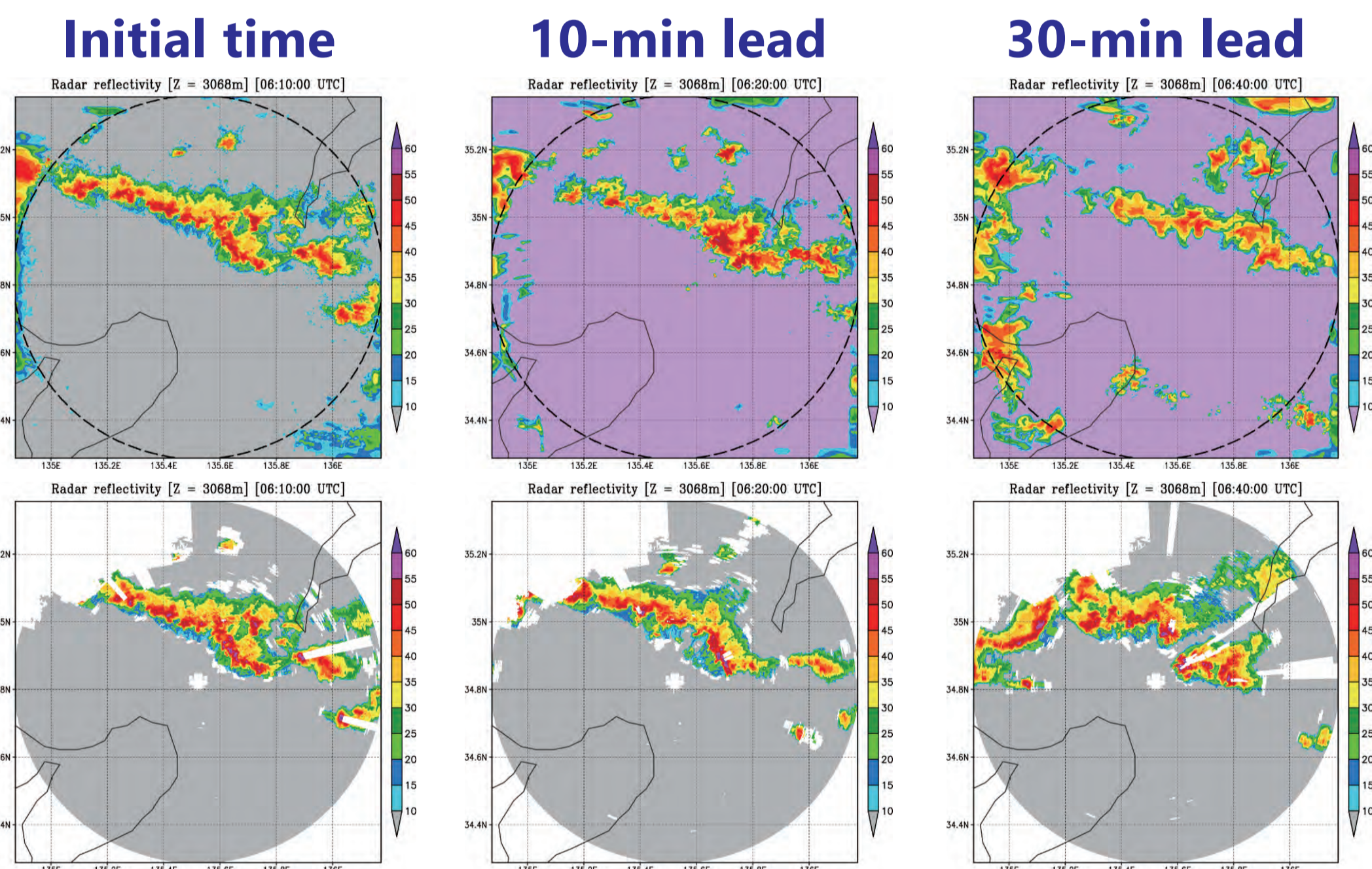
Big Data Assimilation (Miyoshi et al. 2016, Proc. of IEEE, doi:10.1109/JPROC.2016.2602560)



Case1 (7/13/13 Kyoto)

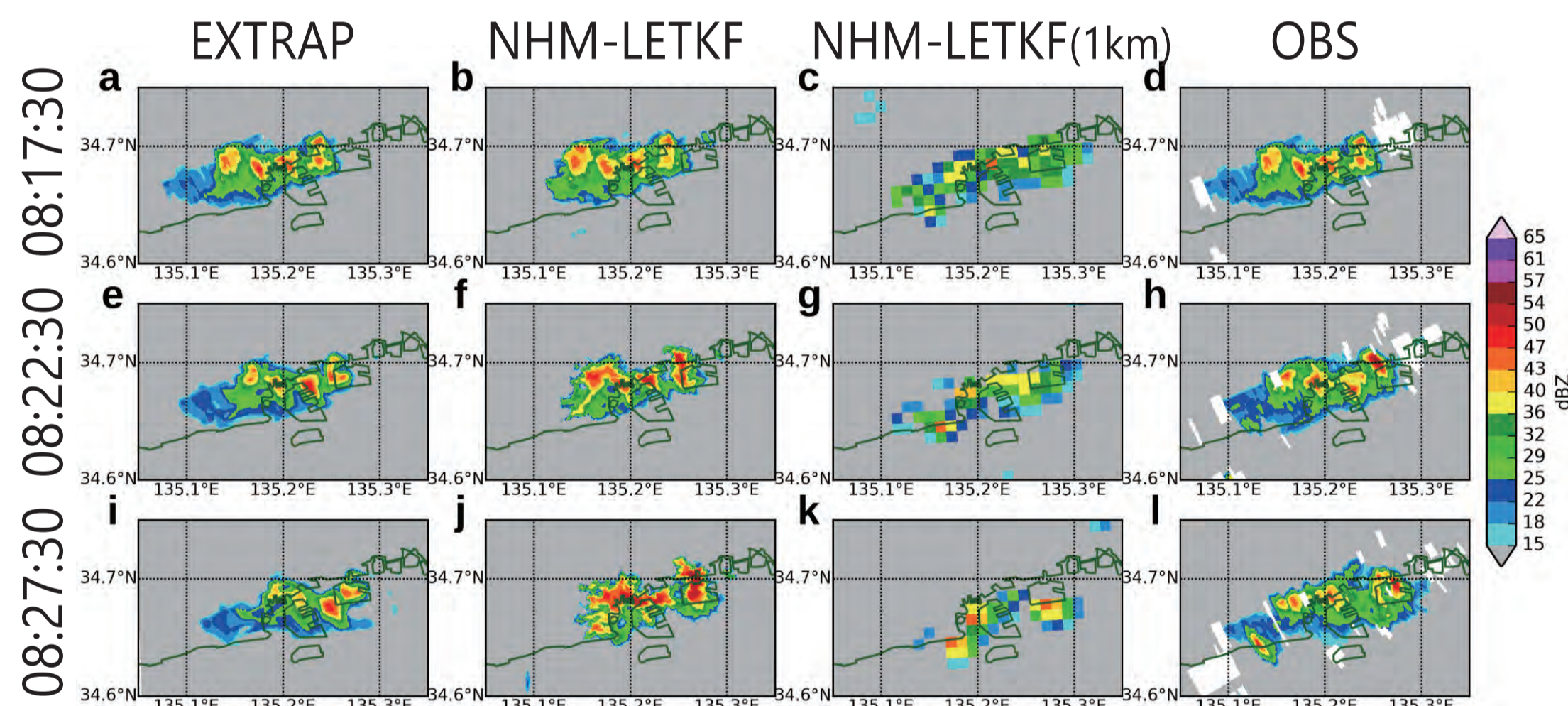
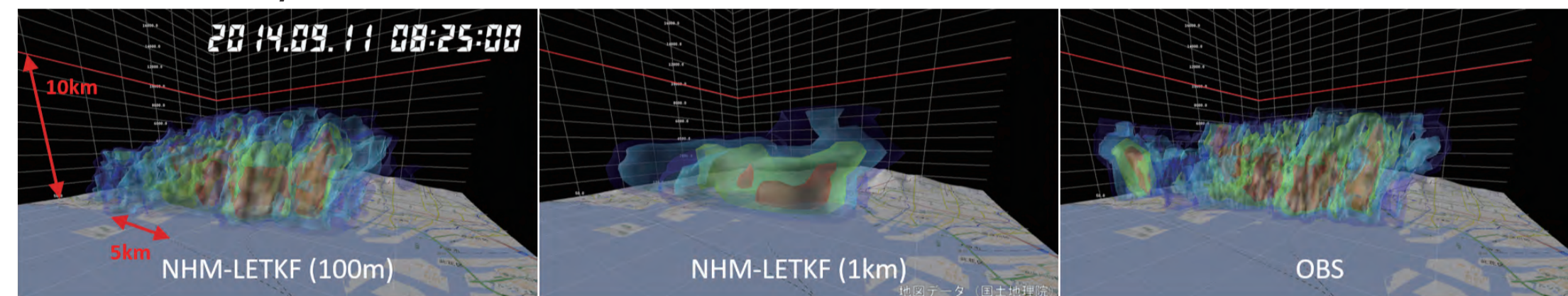
with 1km/100m resolution & 100-member NHM-LETKF

15:15:00 JST



Case2 (9/11/14 Kobe)

with 1km/100m resolution & 100-member NHM-LETKF



LETKF: Local Ensemble Transform Kalman Filter

NHM: Nonhydrostatic Model

SCALE: Scalable Computing for Advanced Library and Environment

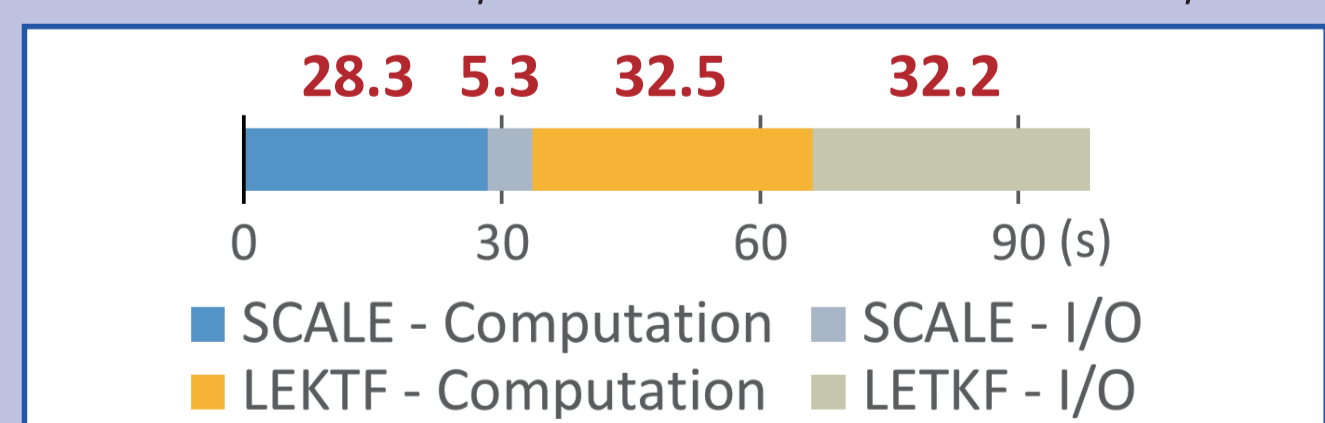
EXTRAP: Extrapolation

Computation time

ensemble forecasts + data assimilation

Original proposal: 100-m mesh, 100 ensemble members, every 30 seconds

Measured



Alternative strategies: degrade resolution, ensemble size, and/or frequency

Estimated

